





Information technology – lecture 3 Introduction to Octave.

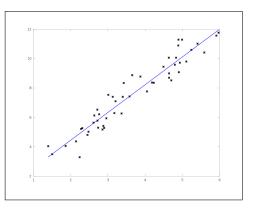
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Example: linear regression

x = linspace(1,5,50)y = 2*x+1;2 rx = rand(50,1);3 rv = rand(50.1):4 5 nf = 1.2yn = y+nf*ry'; 6 xn = x+nf*rx';7 p = polyfit (xn, yn, 1); 8 xz=linspace(min(xn),max(xn)); q yz=p(2) + p(1)*xz;10 plot(xn,yn,"*0", 11 "markersize", 8, 12 "linewidth", 2, 13 xz,yz,"-", "linewidth", 2); 14 pause() 15 print("linfit.png") 16

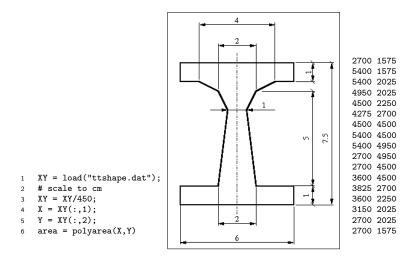








Example: Polygon area



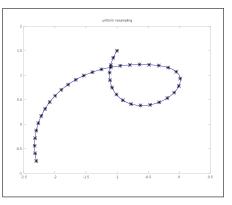




Example: Curve discretisation

Discretisation with segments of equal length

```
R = 2; r = 3; d = 1.5;
1
    th = linspace (0, 2*pi, 1000);
2
    x = (R-r) * \cos(th) + d*\sin((R-r))
3
    v = (R-r) * sin (th) + d*cos ((R-r))
4
    x += 0.3*exp (-(th-0.8*pi).^2);
5
    y += 0.4*exp (-(th-0.9*pi).^2);
6
7
    [xs, ys] = unresamp2 (x, y, 40);
8
    plot (x, y, "-", "linewidth", 2,
q
     xs, ys, "*0", "linewidth",2,"marker
10
    title ("uniform resampling")
11
    pause()
12
    print("unilen.png")
13
```





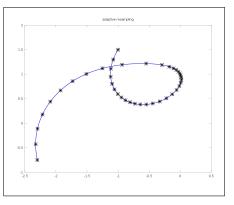




Example: Curve discretisation

Discretisation with equal angle increment between segments

```
R = 2; r = 3; d = 1.5;
1
    th = linspace (0, 2*pi, 1000);
2
    x = (R-r) * \cos(th) + d*\sin((R-r))
3
    v = (R-r) * sin (th) + d*cos ((R-r))
4
    x += 0.3*exp (-(th-0.8*pi).^2);
5
    y += 0.4*exp (-(th-0.9*pi).^2);
6
7
    [xs, ys] = adresamp2 (x, y, 40);
8
    plot (x, y, "-", "linewidth", 2,
q
     xs, ys, "*0", "linewidth",2,"marker
10
    title ("adaptive resampling")
11
    pause()
12
    print("adaplen.png")
13
```







Introduction

GNU Octave http://www.octave.org

- numerical computing environment for scientific and engineering applications,
- a tool for matrix manipulations
- available under GNU GPL license,
- sources and binary versions: http://www.octave.org/download.html.

Brief history

- 1988 origins of Octave
- 1992 John W. Eaton joins Octave team. 1993 first Octave alpha version 1994 version 1.0.
- 2011 the newest stable version 3.2.4.





Octave application areas

- Numerical computing
- Data analysis
- Data visualisation
- Prototyping of numerical applications





Octave components

- Octave language scripting, high level, matrix based
- Octave interpreter
- Numerical libraries
- Interface to visualisation tools (gnuplot, VTK)





Octave working modes

Octave can be used in two modes:

- interactive,
- batch processing.
- Both modes are interpreted and support the same commands
- Customary suffix for Octave scripts: '.m'
- Instruction separators: ';' ','.
- '...' line continuation symbol
- Comment lines start with '%' or '#'.
- Commands are case sensitive



Using Octave interactively

- Starting Octave octave –q.
- Octave prompt octave:1>.
- Standard command line utilities.
- Commands history with $\uparrow \downarrow$ or history function.
- Closing Octave interpreter: quit or exit.







Arithmetic operators.

Octave supports both real and complex numbers.

Mathematics	Octave
a+b	a+b
a-b	a-b
ab	a*b
a/b a ^b	a/b or b\a
a^b	a^b or a∗∗b
\sqrt{x}	$sqrt(x) \text{ or } x^0.5$

Operators priority: , *, /, +, - The order of arithmetic operations can be forced using brackets.





Working in batch mode.

Save the commands as a file first.m

```
% Starting comment
clear all
clc
a = 10;
b = 2.5;
c = a+b;
a = 2.56;
d = a+b;
```

Running the script:

- octave -q and after the prompt we give the script name, e.g. first,
- octave -q first.m in terminal command line.





Constants and special

ans	special variable for the most recent result
eps	2^{-52}
inf	infinity
Nan	Not-a-Number
i, j	imaginary unit
pi	π
realmax	maximum available real number
realmin	minimum positive real number







Simple input/output functions

- Writing out a variable: disp(var).
- Writing out a text: disp('text').
- Reading in a variable value: a = input('prompt').

Simple script:

```
a = input('Give a number:')
b = 2.5
res = a+b;
disp('the sum of a+b is');
disp(res);
```







Built-in Octave functions

det(A) rank(A)trace(A) norm(A,1)norm(A,2)norm(A.inf) norm(A,'fro') columns(A) rows(A) inv(A) A^{-1}

ones(m.n) zeros(m,n) eye(m,n) rand(m,n) randn(m,n) rows(A) columns(A) [w,k] = size(A) w=size(A.1) k=size(A,2) diag(A,k)

sin(X)cos(X)tan(A) exp(X)log(X)sqrt(X)min(X) max(X)sort(X) sum(X)prod(X)







Conditional expressions

if condition instructions end if condition instructionsI else instructionsII end if condition instructionsI elseif conditionII instructionsII else instructionsIII end Logical operators

& and conjunction | or alternative ! negation

Relational operators

- == comparison
- ! = not equal
- < less than
- > greater than
- <= less than or equal
- >= greater than or equal







Conditional expressions – example

```
disp('Coefficients');
a = 1; b = 2; c = 1;
if a != 0
 delta = b*4 - 4*a*c;
  if delta \geq 0
   x1 = (-b - sqrt(delta))/(2*a);
   x^2 = (-b + sqrt(delta))/(2*a);
  else
   disp('no real roots')
  endif
else
 disp('this is not quadratic equation');
endif
```

This is not the best way to solve this problem!!.





for loop

```
Syntax:
```

```
for variable = expression
    instructions
end
```

```
Example: Writing odd numbers
```

```
N = input('How many numbers');
maxnp = 2*N-1;
for i = 1:2:maxnp
    disp(i);
endfor
```





The format command

Arguments for format command:

- short 5 digits, fixed point notation,
- long 15 digits, fixed point notation,
- short e 5 digits, exponential notation,
- long e 15 digits exponential notation,
- short g automatic fixed point/exponential notation
- long g as above with more digits,
- hex hexadecimal representation,
- bank fixed format with 2 digits,
- rat a rational approximation.